

MULTIPLE LINEAR REGRESSION	MULTIPLE LOGISTIC REGRESSION	COX PH REGRESSION
$Y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \dots + \beta_n X_n$	$\left(\frac{p}{1-p}\right) = e^{\beta_0 + \beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \dots + \beta_n}$	$\frac{h(t)}{h_0(t)} = e^{\beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \dots + \beta_n}$
Numerical outcome *Regression Coefficient*, 95%CI, p-value	Dichotomous outcome *Odds Ratio*, 95%CI, p-value      OR = e <sup>bx</sup>	Time to event *Hazards Ratio*, 95%CI, p-value      HR = e <sup>bx</sup>
<b>STEPS:</b> I. Data Exploration & Cleaning II. Univariable Analysis (SLR) F Test  III. Variable Selection (MLR) IV. Multicollinearity & Interaction V. Checking Assumption (LINE-I) VI. Interpretation, Conclusion & Presentation	<b>STEPS:</b> I. Data Exploration & Cleaning II. Univariable Analysis (SLogR) - OR - [ X <sup>2</sup> (Chi Square), Fisher's Exact → categorical Ind t/ M-W → Numerical LR/Wald Test III. Variable Selection (MLogR) IV. Multicollinearity & Interaction V. Checking model adequacy (HLCCA) VI. Interpretation, Conclusion & Presentation	<b>STEPS:</b> I. Data Exploration & Cleaning II. Univariable Analysis (SCR) LR/Wald Test  III. Variable Selection (MCR) IV. Multicollinearity & Interaction V. Checking Assumption (HLS) VI. Interpretation, Conclusion & Presentation

**SLR:** Simple Linear regression    **MLR:** Multiple Linear Regression    **SLogR:** Simple Logistic Regression    **MLogR:** Multiple Logistic Regression

**SCR:** Simple Cox Regression    **MCR:** Multiple Cox Regression

**LINE-I:** Overall Linearity, Independent sample, Normality, Equal variance, Individual linearity I-Interaction between numerical independent variables

**HLCCA:** Hosmer-Lemeshow test, Pearson Chi-square goodness of fit, Overall Correctly Classified Percentage, Area under the curve

**HLS:** Hazard Function Plot, Log – Minus – Log plot (LML plot), Schoenfeld residuals (partial residuals)

Terms used on models

**STEP III: Preliminary Main Effect Model    STEP IV: Preliminary Final Model    STEP V: Final Model**

**Note:** In SPSS, Forward method retains more variables in MULTIPLE LINEAR REGRESSION while Backward method retains more variables in MULTIPLE LOGISTIC REGRESSION & COX PH REGRESSION

Summarized comparison of multivariable analyses

## COMPARISON BETWEEN REGRESSION GROUP AND GLM GROUP

	REGRESSION GROUP	GLM GROUP
<b>1</b>	<b>Analysis</b>	1. Confirmatory analysis
<b>2</b>	<b>Objective</b>	1. Difference of means
<b>3</b>	<b>Outcome</b>	1. Continuous
<b>4</b>	<b>Study design</b>	1. Cross sectional 2. RCT 3. Repeated measures

## COMPARISON BETWEEN LR STATISTIC AND WALD

	LR	WALD
1	Check significance of variable and model	Check significance of variable only
2	Compare 2 level group. If more than 2 level, tedious to present	Compare more than 2 level group
3	Deviance → $M_0 - M_1$ → Best fit principle	Wald $X^2 = (b/SE)^2 \rightarrow$ SPSS Wald $Z = b/SE \rightarrow$ Stata
4	-2 log likelihood → $LR - X^2$ → Near to '0' is better → Probability $\log(1) = 0$	
5	-2 log likelihood will reduce to near '0' when variable is added	

## BONFERRONI CORRECTION

METHOD 1		METHOD 2
1	Correct $\alpha$	Correct $p$
2	$\frac{\alpha}{\text{no of pairs}}$ → compare with p value	P value x no of pairs, compare with $\alpha$
3		Not statistically meaningful if p value obtained is more than 1 - Probability cannot be more than 1 - Have redundancy